

Exam 2 Review Notes

Chapter 6

Category I

- Sec. 6-3: Equilibrium (at least 1 question on this)
 - $\sum F_x = 0$ and $\sum F_y = 0$... apply these.
 - Problems like:
 - traffic light (done in class)
 - Prob. 65, HW
 - #3, Practice Exam
 - Example 6-5
 - Active Example 6-2
- Sec. 6-1: Friction Forces (at least 1 question on this)
 - $f_s \leq \mu_s N$
 - $f_k = \mu_k N$
 - Problems like:
 - Example 6-3.
 - Car on flat circular road (#2, Practice Exam)
 - Car on *banked* circular road
 - Prob. 2, HW
- Sec. 6-5: Circular Motion (at least 1 question on this)
 - Problems like:
 - Car on flat circular road (#2, Practice Exam)
 - Car on *banked* circular road
 - Ball on string, swung in horizontal circle (done in class)
 - #4, Practice Exam

Key:

- **Category I:** most important stuff. Definitely on exam.
- **Category II:** less important, but still "fair game." *Could* be on exam.
- **Category III:** definitely *not* on exam.

Category II

- Sec 6-4: Connected Objects
 - Problems like:
 - #16, Practice Exam
 - Prob. 36, HW
 - Prob. 37, book
- Hooke's law (Sec. 6-2)
 - Problems like:
 - Prob. 23, HW
 - Prob. 16, book
 - Prob. 19, book (done in class)

Category III

- Sec 6-2: Strings & Springs (except for Hooke's law)

Chapter 7

Category I

- Sec 7-1: Definition of Work (1 prob. on this)
 - $W \equiv Fd \cos \theta$
 - Problems like:
 - #5, Practice Exam
 - Example 7-1
 - Example 7-2
 - Prob. 9, HW
- Sec 7-2: Work-energy theorem (1 prob. on this)
 - $W_{net} = \Delta K$
 - Problems like:
 - Example 7-6 (done in class)

- #6, Practice Exam
- Prob. 21, HW

Category II

- Kinetic Energy (Sec 7-2)
 - $K \equiv \frac{1}{2}mv^2$
 - could be something kind of “conceptual”... like #12, Practice Exam

Category III

- Sec 7-3: Work done By Variable Force
- Sec 7-4: Power

Chapter 8

Category I

- Conservation of Energy (Sec 8-3)... at least 2 questions on this!
 - ❖ Could be conservation of energy *without* a spring or *with* a spring!
 - Conservation of Energy Without Spring:
 - $E_f = E_i$ (if no nonconservative forces doing work)
 - $E_i = K_i + U_{grav}^i = \frac{1}{2}mv_i^2 + mgy_i$
 - $E_f = K_f + U_{grav}^f = \frac{1}{2}mv_f^2 + mgy_f$
 - Problems like:
 - person on slide (done in class)
 - #8, Practice Exam
 - #17, Practice Exam
 - Example 8-7
 - Conservation of Energy With Spring:
 - $E_f = E_i$ (if no nonconservative forces doing work)
 - $E_i = K_i + U_{grav}^i + U_{spring}^i = \frac{1}{2}mv_i^2 + mgy_i + \frac{1}{2}kx_i^2$
 - $E_f = K_f + U_{grav}^f + U_{spring}^f = \frac{1}{2}mv_f^2 + mgy_f + \frac{1}{2}kx_f^2$
 - Problems like:
 - Example 8-8 (similar to example done in class)
 - #9, Practice Exam
 - #10, Practice Exam
 - #11, Practice Exam
 - Prob. 18, HW
- } Note: no K_{rot} for this exam... just K_{trans}

Category II

- Sec 8-1: Conservative and Nonconservative Forces
 - know *definitions* of conservative and nonconservative forces (the ones I gave in class, not the ones in the book):
 - a *conservative force* is one which, when it acts *alone* on an object (or system of objects), does *not* change the total mechanical energy of the object (or system).
 - a *nonconservative force* is one which *does* change the total mechanical energy, *if* it does any *work*.
 - ❖ Be able to *state* these in writing or pick them out from a list of statements.

- Gravitational Potential Energy (Sec 8-2)
 - $U_{grav} \equiv mgy$
 - Problems like:
 - #7, Practice Exam
 - Prob. 12, HW

Category III

- Sec 8-4
- Sec 8-5

Chapter 9

Category I

- Conservation of Linear Momentum and Collisions (Secs 9-4, 9-5, 9-6)
 - Collisions
 - 2 broad categories: *head-on* and *glancing* (probably at least 1 question on each)
 - head-on collisions:
 - elastic: \vec{p} conserved, K conserved
 - $m_1v_{1i} + m_2v_{2i} = m_1v_{1f} + m_2v_{2f}$ (p cons.)
 - $v_{1i} + v_{1f} = v_{2i} + v_{2f}$ (“other” eq.... derived in class)
 - Problems like:
 - #15, Practice Exam
 - 2 billiard balls, equal masses (done in class)
 - 2 billiard balls, different masses (done in class)
 - Prob. 35, HW
 - inelastic: \vec{p} conserved, K not
 - $m_1v_{1i} + m_2v_{2i} = m_1v_{1f} + m_2v_{2f}$ (p cons.)
 - completely inelastic: \vec{p} conserved, K not, objects stick together
 - $m_1v_{1i} + m_2v_{2i} = (m_1 + m_2)v_f$ (p cons.)
 - Problems like:
 - railroad cars (done in class)
 - two gliders on air track, one with “pin”, other with “wax cylinder” (done in lab)
 - Prob. 23, HW
 - glancing collisions:
 - \vec{p} still conserved, but *can't* write: $m_1v_{1i} + m_2v_{2i} = m_1v_{1f} + m_2v_{2f}$!
 - Instead, write \vec{p} conservation as:
 - $P_{xi} = P_{xf}$
 - $P_{yi} = P_{yf}$
 - Problems like:
 - #18, Practice Exam
 - Example 9-6 (done in class)

Category II

- “Explosions” ... situations where $\vec{p}_i = \vec{0}$. Something “blows up”... one part goes one way, other part *recoils* in opposite direction.
 - Problems like:
 - “stick of dynamite” problem (done in class)
 - #14, Practice Exam

- Prob. 19, HW
- Prob. 20, HW

Category III

- Sec 9-3
- Sec 9-7
- Sec 9-8